

2.3 → 53, 57, 49, 63

49.) use max or min functions on calc After you graph in order to find local max + local min
[2ND → TRACE]

53.) Find avg rate of change for $f(x) = -2x^2 + 4$

a.) 0 to 2

b.) 1 to 3

c.) 1 to 4

$$\frac{f(b) - f(a)}{b - a}$$

$$a.) \frac{f(2) - f(0)}{2 - 0} = \frac{[-2(2)^2 + 4] - [-2(0)^2 + 4]}{2} = \frac{-4 - 4}{2} = \textcircled{-4}$$

$$b.) \frac{f(3) - f(1)}{3 - 1} = \frac{[-2(3)^2 + 4] - [-2(1)^2 + 4]}{2} = \frac{-14 - 2}{2} = \textcircled{-8}$$

$$c.) \frac{f(4) - f(1)}{4 - 1} = \frac{[-2(4)^2 + 4] - [-2(1)^2 + 4]}{4 - 1} = \frac{-28 - 2}{3} = \textcircled{-10}$$

57.) $f(x) = 5x - 2$

a.) Find avg rate of change From 1 to x

$$\frac{f(b) - f(a)}{b - a} = \frac{f(x) - f(1)}{x - 1} = \frac{[5x - 2] - [5(1) - 2]}{x - 1}$$

$$= \frac{5x - 2 - 3}{x - 1} = \frac{5x - 5}{x - 1} = \frac{5(x - 1)}{x - 1} = \textcircled{5}$$

57b.) Also 5. It doesn't matter what my x-value is, I will always get AN Avg rate of change of 5 b/c the Avg rate of change is the slope of the function.

57c.) Secant line \rightarrow line connecting $(1, f(1))$ AND $(3, f(3))$. $y = 5x - 2$

$$f(1) = 5(1) - 2 = \underline{3} \quad ; \quad f(3) = 5(3) - 2 = \underline{13}$$

Find equ. of line that goes through

$$(1, 3) + (3, 13)$$

$$\textcircled{1} m = \frac{13-3}{3-1} = \frac{10}{2} = \textcircled{5} \quad \rightarrow \textcircled{3} y = 5x - 2$$

$$\textcircled{2} y = mx + b$$

$$3 = 5(1) + b$$

$$3 - 5 = b \rightarrow \textcircled{-2 = b}$$

63.) a.) $V(x) = x(24-2x)(24-2x)$; length = $24-2x$, width = $24-2x$; height = x

$$b.) V(3) = 3(24-2(3))(24-2(3)) = \underline{972 \text{ in}^3}$$

$$c.) V(10) = 10(24-2(10))(24-2(10)) = \underline{160 \text{ in}^3}$$

d.) graph $V(x)$ on calc + use 2nd \rightarrow TRACE \rightarrow MAX to find the coordinates of the max, + the solution will be the max's x-coordinate. $\boxed{x = 4 \text{ in}}$